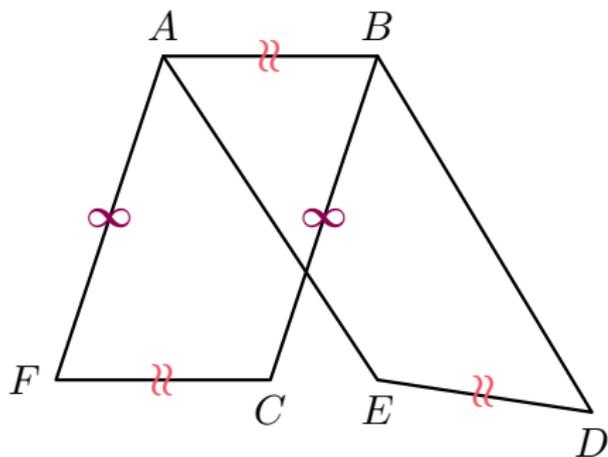


# QCM d'auto-évaluation/ex116p221

*Sésamath*

Maths 2de





$$\overrightarrow{AC} + \overrightarrow{CE} = \overrightarrow{AB} + \overrightarrow{DE} + \overrightarrow{BD}.$$

**a** vrai

**b** faux

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C'est vrai.