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Sésamath

Maths 1S



Donner le nombre de solutions des équations suivantes.

1 $x^2 + x + 1 = 0$

2 $-2x^2 + x + 1 = 0$

3 $\frac{1}{2}x^2 - 4x - \frac{3}{2} = 0$

4 $\sqrt{2}x^2 - x + \frac{1}{2} = 0$

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$\Delta < 0$ donc l'équation n'a pas de solution.

$$2 \quad -2x^2 + x + 1 = 0$$

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$\Delta > 0$ donc l'équation a deux solutions.

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$\Delta > 0$ donc l'équation a 2 solutions.

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$\Delta < 0$ donc l'équation n'a pas de solution.